

April 29, 2013

Last New Topic...

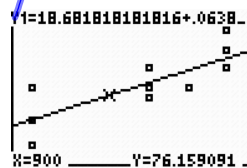
Inference for Regression (Slope)

$$\hat{y} = a + bx \quad (1b)$$

$$\widehat{\text{price}} = 18.68 + .0639 (\text{power})$$

As power increases by 1 watt, we expect price to increase by \$.06, on average.

(3a)



\$76.16 - predicted price for 900 W microwave.

(3b) prediction range: (700, 1200) - power
Be careful of extrapolation!

L1	L2	L3	3
1100	80	16.614	
700	80	16.614	
700	50	-13.38	
1200	90	-5.318	
1200	100	4.682	
1200	90	-5.318	
1200	110	14.682	

L3(1)=-8.93181818...

Residual
observed - predicted
 $y - \hat{y}$

+ residual \rightarrow low prediction
- residual \rightarrow high prediction

(4b)
SS resid (1-var stats)
 $\sum x^2 = 948.16$

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1-Var. Stats
x=8.545455E-12
sx=9.4E-11
sx^2=948.159091
sx=9.737346101
sx=9.284195226
n=11

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5) $S_e = \sqrt{\frac{\sum x^2}{n-2}} = \sqrt{\frac{948.16}{9}} = \10.26
 \hookrightarrow std. dev. of residuals (error)

$r^2 = .65$ (65% of ^{variation in} price can be explained by its _{linear} relationship with power.)

$S_e = \$10.26$

This is a fairly good model for predicting price from power. Our predictions would vary by only \$10.26, on average.

Example continued

Minitab output looks like

Regression Analysis: % Fat y versus Age (x)

Estimated y intercept a

The regression equation is $\% \text{ Fat } y = 3.22 + 0.548 \text{ Age (x)}$ Regression line

Predictor	Coef	SE Coef	T	P
Constant	3.221	5.076	0.63	0.535
Age (x)	0.5480	0.1056	5.19	0.000

$s = 5.754$ $R\text{-Sq} = 62.7\%$ ~~$R\text{-Sq(adj)} = 60.4\%$~~

Analysis of Variance

Source	DF	SS	MS	F	P
Regression	1	891.87	891.87	26.94	0.000
Residual Error	16	529.66	33.10		
Total	17	1421.54			

residual df = n - 2
 S_e^2
 SS_{Resid}
 $SSTo$

33

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$$Y = \alpha + \beta x + e \quad (\text{population})$$

H_0 : There is no linear relationship between body temp. & heart rate.

$$(r=0 \rightarrow b = r \frac{s_y}{s_x} = 0)$$

$$H_0: \beta = 0$$

$$H_a: \beta \neq 0$$

$$\alpha = .05$$